

CHAPTER 19:

THERMAL PROPERTIES

ISSUES TO ADDRESS...

- **How does a material respond to heat?**
- **How do we define and measure...**
 - heat capacity
 - coefficient of thermal expansion
 - thermal conductivity
 - thermal shock resistance
- **How do ceramics, metals, and polymers rank?**

HEAT CAPACITY

- **General:** The ability of a material to absorb heat.
- **Quantitative:** The energy required to increase the temperature of the material.

heat capacity
(J/mol-K) → $C = \frac{dQ}{dT}$

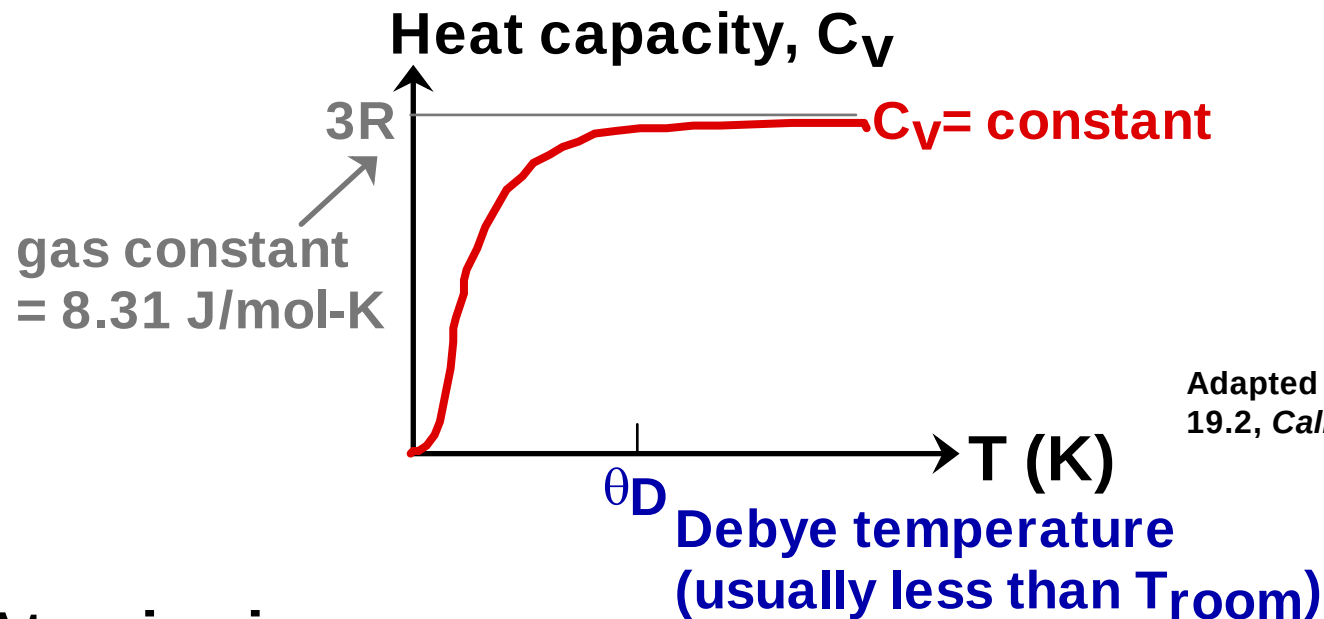
energy input (J/mol) → dQ

temperature change (K) → dT

- **Two ways to measure heat capacity:**
 - C_p : Heat capacity at constant pressure.
 - C_v : Heat capacity at constant volume.

HEAT CAPACITY VS T

- Heat capacity...
 - increases with temperature
 - reaches a limiting value of $3R$



- Atomic view:
 - Energy is stored as atomic vibrations.
 - As T goes up, so does the avg. energy of atomic vibr.

HEAT CAPACITY: COMPARISON



material	c_p (J/kg-K) at room T
• Polymers	
Polypropylene	1925
Polyethylene	1850
Polystyrene	1170
Teflon	1050
• Ceramics	
Magnesia (MgO)	940
Alumina (Al ₂ O ₃)	775
Glass	840
• Metals	
Aluminum	900
Steel	486
Tungsten	128
Gold	138

c_p : (J/kg-K)
 C_p : (J/mol-K)

- Why is c_p significantly larger for polymers?

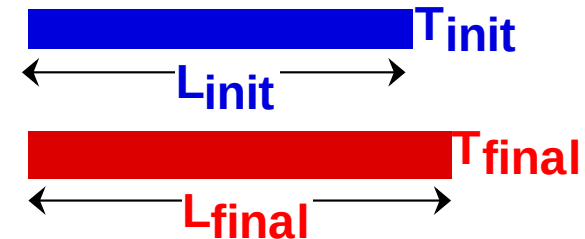
Selected values from Table 19.1, *Callister 6e*.

THERMAL EXPANSION

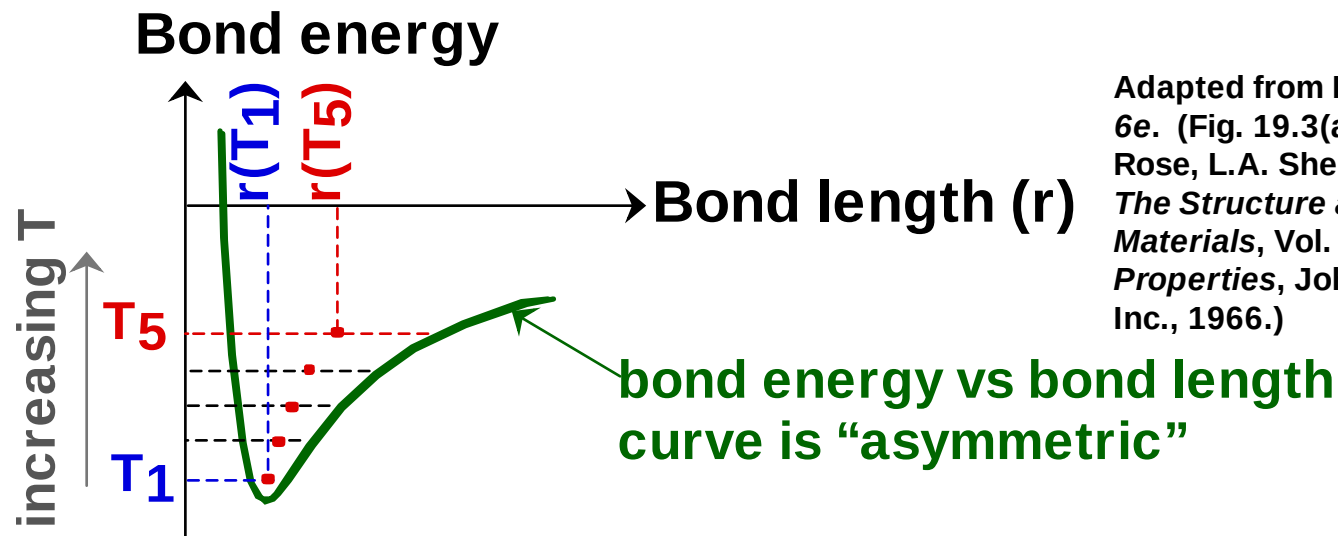
- Materials change size when heating.

$$\frac{L_{\text{final}} - L_{\text{initial}}}{L_{\text{initial}}} = \alpha (T_{\text{final}} - T_{\text{initial}})$$

α
coefficient of
thermal expansion (1/K)



- Atomic view: Mean bond length increases with T.



Adapted from Fig. 19.3(a), *Callister 6e*. (Fig. 19.3(a) adapted from R.M. Rose, L.A. Shepard, and J. Wulff, *The Structure and Properties of Materials*, Vol. 4, *Electronic Properties*, John Wiley and Sons, Inc., 1966.)

THERMAL EXPANSION: COMPARISON



Material	α ($10^{-6}/\text{K}$) at room T
• Polymers	
Polypropylene	145-180
Polyethylene	106-198
Polystyrene	90-150
Teflon	126-216
• Metals	
Aluminum	23.6
Steel	12
Tungsten	4.5
Gold	14.2
• Ceramics	
Magnesia (MgO)	13.5
Alumina (Al ₂ O ₃)	7.6
Soda-lime glass	9
Silica (cryst. SiO ₂)	0.4

- Q: Why does α generally decrease with increasing bond energy?

Selected values from Table 19.1, *Callister 6e*.

THERMAL CONDUCTIVITY

- **General:** The ability of a material to transfer heat.
- **Quantitative:**

heat flux (J/m²-s) → $q = -k \frac{dT}{dx}$ ← temperature gradient

thermal conductivity (J/m-K-s)



- **Atomic view:** Atomic vibrations in hotter region carry energy (vibrations) to cooler regions.

THERMAL CONDUCTIVITY: COMPARISON



Material	k (W/m-K)	Energy Transfer
• Metals		
Aluminum	247	By vibration of atoms and motion of electrons
Steel	52	
Tungsten	178	
Gold	315	
• Ceramics		
Magnesia (MgO)	38	By vibration of atoms
Alumina (Al ₂ O ₃)	39	
Soda-lime glass	1.7	
Silica (cryst. SiO ₂)	1.4	
• Polymers		
Polypropylene	0.12	By vibration/rotation of chain molecules
Polyethylene	0.46-0.50	
Polystyrene	0.13	
Teflon	0.25	

Selected values from Table 19.1, *Callister 6e*.

EX: THERMAL STRESS

- Occurs due to:
 - uneven heating/cooling
 - mismatch in thermal expansion.
- Example Problem 19.1, p. 666, *Callister 6e*.
 - A brass rod is stress-free at room temperature (20C).
 - It is heated up, but prevented from lengthening.
 - At what T does the stress reach -172MPa?

$$\frac{\Delta L}{L_{\text{room}}} = \varepsilon_{\text{thermal}} = \alpha(T - T_{\text{room}})$$

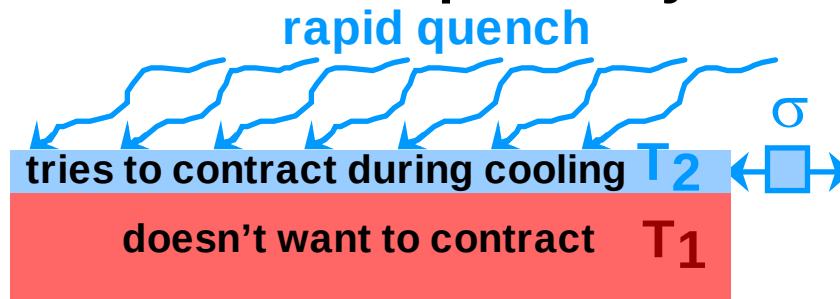
$$\sigma = E(-\varepsilon_{\text{thermal}}) = -E\alpha(T - T_{\text{room}})$$

compressive σ keeps $\Delta L = 0$
 -172MPa

Answer: 106C

THERMAL SHOCK RESISTANCE

- Occurs due to: uneven heating/cooling.
- Ex: Assume top thin layer is rapidly cooled from T_1 to T_2 :



Tension develops at surface

$$\sigma = -E\alpha(T_1 - T_2)$$

Temperature difference that can be produced by cooling:

$$(T_1 - T_2) = \frac{\text{quench rate}}{k}$$

Critical temperature difference for fracture (set $\sigma = \sigma_f$)

$$(T_1 - T_2)_{\text{fracture}} = \frac{\sigma_f}{E\alpha}$$

set equal

- Result: $(\text{quench rate})_{\text{for fracture}} \propto \frac{\sigma_f k}{E\alpha}$

- Large thermal shock resistance when $\frac{\sigma_f k}{E\alpha}$ is large.

THERMAL PROTECTION SYSTEM

- Application:

Space Shuttle Orbiter



Fig. 23.0, Callister 5e. (Fig. 23.0 courtesy the National Aeronautics and Space Administration.)

- **Silica tiles (400-1260C):**
--large scale application

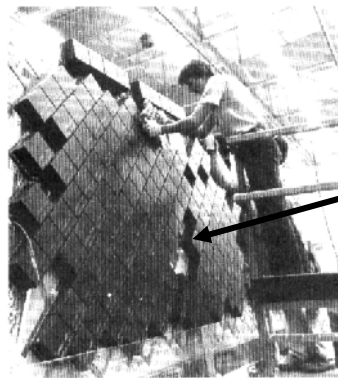


Fig. 19.3W, Callister 5e. (Fig. 19.3W courtesy the National Aeronautics and Space Administration.)

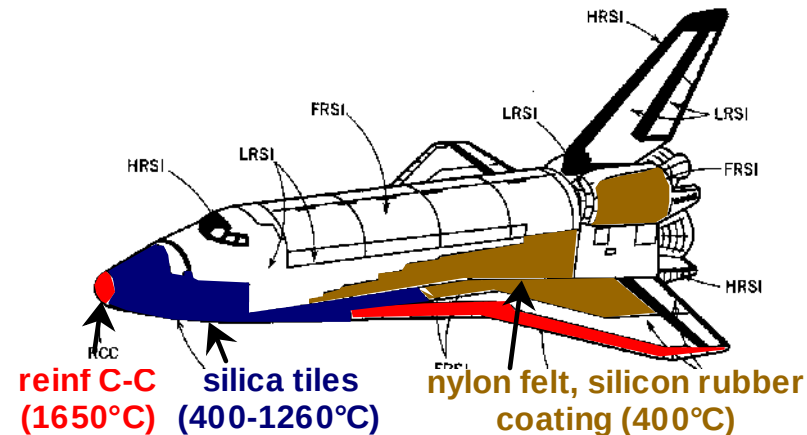
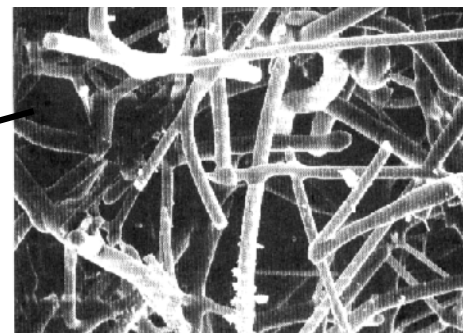


Fig. 19.2W, Callister 6e. (Fig. 19.2W adapted from L.J. Korb, C.A. Morant, R.M. Calland, and C.S. Thatcher, "The Shuttle Orbiter Thermal Protection System", *Ceramic Bulletin*, No. 11, Nov. 1981, p. 1189.)

--microstructure:



← 100μm →

~90% porosity!
Si fibers
bonded to one
another during
heat treatment.

Fig. 19.4W, Callister 5e. (Fig. 219.4W courtesy Lockheed Aerospace Ceramics Systems, Sunnyvale, CA.)

SUMMARY

- A material responds to heat by:
 - increased vibrational energy
 - redistribution of this energy to achieve thermal equil.
- **Heat capacity:**
 - energy required to increase a unit mass by a unit T.
 - polymers have the largest values.
- **Coefficient of thermal expansion:**
 - the stress-free strain induced by heating by a unit T.
 - polymers have the largest values.
- **Thermal conductivity:**
 - the ability of a material to transfer heat.
 - metals have the largest values.
- **Thermal shock resistance:**
 - the ability of a material to be rapidly cooled and not crack. Maximize $\sigma_f k / E \alpha$.